

# The Phillips Curve

PROFESSOR LUÍS CLEMENTE-CASINHAS

## Shifts of the Phillips curve.

- We studied in class that changes in the unemployment rate ( $U$ ) are reflected in movements along the Phillips curve.
- Whenever these movements imply that  $U \neq U_n$ , we also have shifts of the Phillips curve, since expectations about inflation in the following period change.
- The curve stops shifting when  $U_t = U_n$  again, because inflation expectations remain unchanged.

### Example

For each period  $t$  and with no supply shocks ( $\rho = 0$ ), the Phillips curve is given by:

$$\pi_t = \pi_t^e - \omega(U_t - U_n)$$

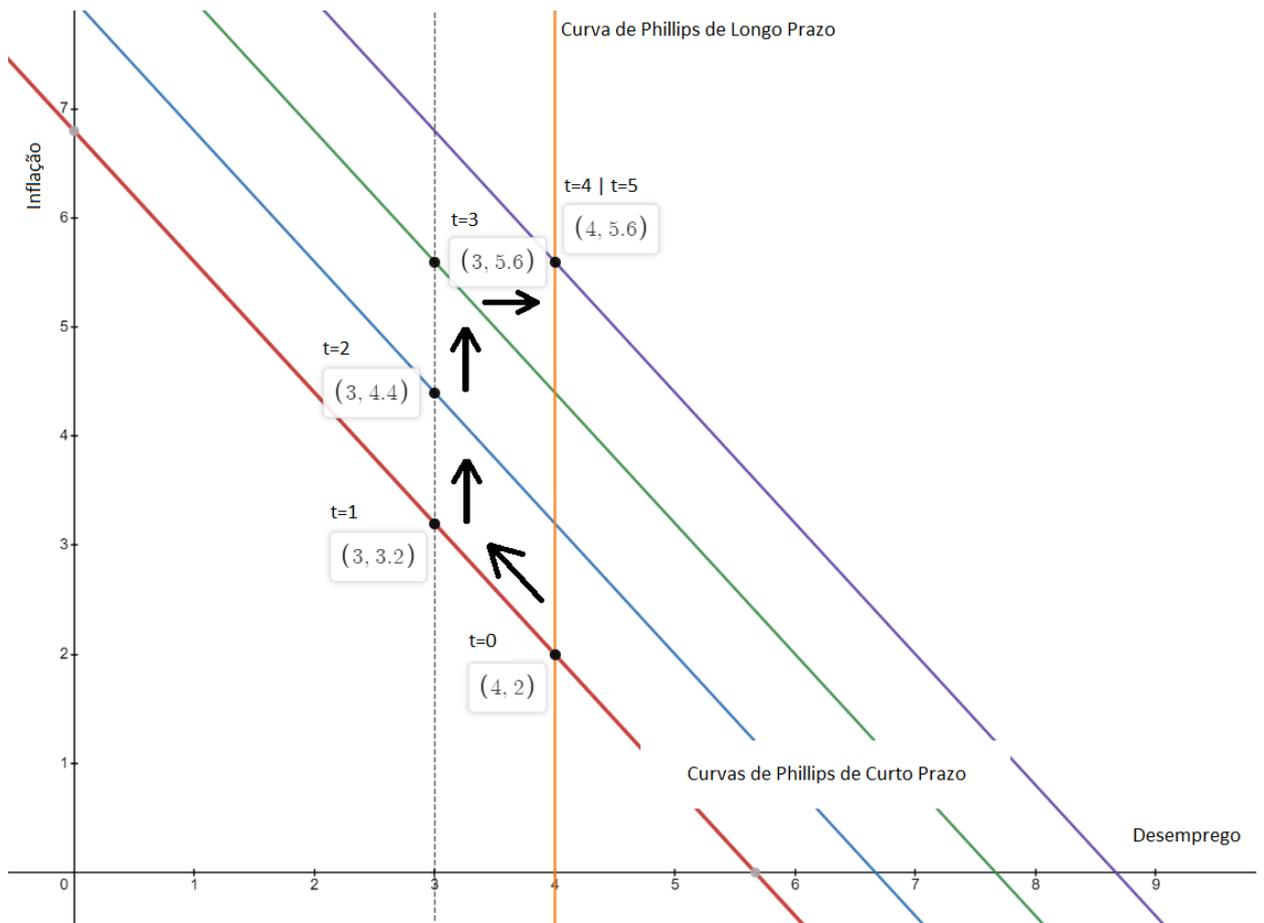
Assume adaptive expectations ( $\pi_t^e = \pi_{t-1}$ ). If  $\pi_0^e = \pi_{-1} = 2$ ,  $U_n = 4$ ,  $\omega = 1.2$ , define the Phillips curve for each period  $t = 0, \dots, 5$ , and calculate the inflation rate when:

1. At  $t = 0$ ,  $U_t = 4 \Rightarrow$  Long Run ( $U_t = U_n$ );
2. At  $t = \{1; 2; 3\}$ ,  $U_t = 3$ ;
3. At  $t = \{4; 5\}$ ,  $U_t = 4$ .

Represent graphically the curves and the calculated ordered pairs  $(U, \pi)$ .

We can summarize the solution to the example in the following table and graph:

| $t$ | $\pi_t^e = \pi_{t-1}$ | $U_n$ | Phillips Curve               | $U_t$ | $\pi_t$ | Curve color |
|-----|-----------------------|-------|------------------------------|-------|---------|-------------|
| 0   | 2                     | 4     | $\pi_0 = 2 - 1.2(U_0 - 4)$   | 4     | 2       | Red         |
| 1   | 2                     | 4     | $\pi_1 = 2 - 1.2(U_1 - 4)$   | 3     | 3.2     | Red         |
| 2   | 3.2                   | 4     | $\pi_2 = 3.2 - 1.2(U_2 - 4)$ | 3     | 4.4     | Blue        |
| 3   | 4.4                   | 4     | $\pi_3 = 4.4 - 1.2(U_3 - 4)$ | 3     | 5.6     | Green       |
| 4   | 5.6                   | 4     | $\pi_4 = 5.6 - 1.2(U_4 - 4)$ | 4     | 5.6     | Purple      |
| 5   | 5.6                   | 4     | $\pi_5 = 5.6 - 1.2(U_5 - 4)$ | 4     | 5.6     | Purple      |



In a less condensed way:

- At  $t = 0$  we are in a situation where  $U_0 = U_n = 4$  and  $\pi_0 = 2$ . There is no change in inflation expectations for the next period, which will again be equal to 2;
- At  $t = 1$ ,  $(U_1 = 3) < (U_n = 4)$ , which generates a movement along the red curve (the expression of the Phillips curve remains unchanged), with the inflation rate changing to  $\pi_1 = 3.2$  – this will be the expected inflation rate for the next period;
- At  $t = 2$ , expected inflation is now different, which translates into a shift from the red curve to the blue curve (the expression of the Phillips curve has changed). Here, we still have  $(U_2 = 3) < (U_n = 4)$ , so  $\pi_2 = 4.4$  – this will be the expected inflation rate for the next period.
- At  $t = 3$ , expected inflation is now different, which translates into a shift from the blue curve to the green curve (the expression of the Phillips curve has changed). Here, we still have  $(U_3 = 3) < (U_n = 4)$ , so  $\pi_3 = 5.6$  – this will be the expected inflation rate for the next period.
- At  $t = 4$ , expected inflation is now different, which translates into a shift from the green curve to the purple curve (the expression of the Phillips curve has changed). Now, we have  $U_4 = U_n = 4$ , so  $\pi_4 = 5.6$ . There is no change in inflation expectations for the next period, which will again be equal to 5.6;
- At  $t = 5$ , expected inflation remains unchanged (the expression of the Phillips curve remains unchanged). We still have  $U_5 = U_n = 4$ , so  $\pi_5 = 5.6$ . We remain on the purple curve.